## US ARMY INTELLIGENCE CENTER

## POWERS OF TEN AND CONVERSION OF ELECTRICAL UNITS



- Whr
kWh = 1000 watt-hours



# POWERS OF TEN AND CONVERSION OF ELECTRICAL UNITS 

## Subcourse Number IT 0332

## Edition A

## US ARMY INTELLIGENCE CENTER FORT HUACHUCA, AZ 85613-6000

## 2 Credit Hours

EDITION DATE: February 1996
SUBCOURSE OVERVIEW
This subcourse is designed to teach you to use scientific notation, powers of ten, and common number prefixes which denote powers of ten. It will be used throughout the subcourses on electronics.

IT 0332 replaces SA 0700 Powers of Ten and Conversion of Electrical Units.
There are no prerequisites for this subcourse.

## TERMINAL LEARNING OBJECTIVE:

ACTION: You will be able to convert numbers between normal notation, powers of ten, and scientific notation; multiply, divide, and find roots of powers of 10; convert numbers expressed by common number prefixes in powers of ten and scientific notation.

CONDITION: Given the information provided in this subcourse.
STANDARD: To demonstrate competency of this task, you must achieve a minimum of 70 percent on the subcourse examination.

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## SPECIAL INSTRUCTIONS

1. These lessons contain 62 pages, each of which is divided into one or more frames. Most pages are divided into three frames consisting of:
a. TOP frame, containing the answer to the PROBLEM in the preceding frame.
b. A MIDDLE frame, containing an example problem and its solution.
c. A BOTTOM frame, containing a PROBLEM for you to solve.
2. Do not spend a lot of time solving the problem in the middle frame. The middle frame is meant to be a guide (showing you how to solve different types of problems), so, just examine it carefully step by step until you feel that you understand it. Next, solve the PROBLEM in the bottom frame of the page and, once finished, compare your answer to the correct answer at the top of the next right-hand page. (See the instructions in paragraph 3, below.)
3. This lesson is written in a format which may be unfamiliar to you. To complete this lesson, you must complete the pages and frames in numerical sequence (pages 1-1 through 1-42, pages 2-1 through 2-20; and frames 1 through 138).

## LESSON 1

## INTRODUCTION TO POWERS OF TEN

## Critical Task: None

## OVERVIEW

## LESSON DESCRIPTION:

Upon completion of this lesson you will be able to convert numbers between normal notation, powers of ten, and scientific notation; multiply, divide, and find roots of powers of 10; convert numbers expressed by common number prefixes in powers of ten and scientific notation.

## TERMINAL LEARNING OBJECTIVE:

ACTION: Convert numbers between normal notation, powers of ten, and scientific notation; multiply, divide, and find roots of powers of 10.

CONDITION: Given the information provided in this subcourse.
STANDARD: To demonstrate competency of this task, you must achieve a minimum of 70 percent on the subcourse examination.

## INTRODUCTION TO POWERS OF TEN

FRAME
NO. 1
Example of a very large whole number: 100,000,000,000
Example of a very small decimal number: . 000000000006
Electrical measurements often involve large whole numbers or small decimal numbers. Working with large whole numbers and small decimal numbers can be time-consuming. Also, using numbers with many zeros may lead to mistakes. Powers of 10 are used to express large whole numbers and small decimal numbers as equivalent numbers containing only a few digits. Obviously, numbers containing fewer digits are easier to use.

Powers of 10 involve the use of exponents. An exponent is a small number written above and to the right of a number which is the base number. The exponent indicates the number of times the base is to be taken as a factor.

For example: $10^{3}=10 \times 10 \times 101,000$.
Multiples of 10, greater than one, can be expressed as the base 10 with a positive exponent.
For example: $10=10^{1} \quad 100=10^{2} \quad 1,000=10^{3}$, etc.
Multiples of 10 , between 0 and 1, can be expressed as the base 10 with a negative exponent.
For example: . $1=10^{-1} \quad .01=10^{-2} \quad .001=10^{-3}$, etc.
The base 10, written without an exponent, actually has an exponent of 1.
Thus, $10=10^{1}$.
The base 10, with an exponent of zero, is equal to one. Thus, $10^{\circ}=1$.

## No response required.

FRAME
NO. 2
This table shows some decimals and whole numbers and their equivalent powers of 10 . Study it for a moment.

$$
\begin{aligned}
10,000 & =10^{4} \\
1,000 & =10^{3} \\
100 & =10^{2} \\
10 & =10^{1} \\
1 & =10^{0} \quad \text { Notice that } 10^{0}=1 \\
.1 & =10^{-1} \\
.01 & =10^{-2} \\
.001 & =10^{-3} \\
.0001 & =10^{-4}
\end{aligned}
$$

FRAME
No. 3
Any number can be converted into 2 numbers: A number times a power of 10. The number times a power of 10 will have the same digit sequence as the original number. The power of 10 and its sign will be determined by the number of places and the direction the decimal point in the original number is moved.

Examples: $7,900=7.9 \times 10^{3}$

$$
\begin{aligned}
& .01=1 \times 10^{-2} \\
& 75=7.5 \times 10^{1} \\
& .075=7.5 \times 10^{-2} \\
& .075=75 \times 10^{-3} \\
& .075=750 \times 10^{-4}
\end{aligned}
$$

| because $10^{3}$ | $=1,000$ |
| ---: | :--- | :--- |
| " $10^{-2}$ | $=.01$ |
| " $10^{-1}$ | $=10$ |
| " $10^{-2}$ | $=.01$ |
| " $10^{-3}$ | $=.001$ |
| " $10^{-4}$ | $=.0001$ |

## No response required

## No response required

FRAME
No. 4 PROBLEM:
Fill in the blanks with the equivalent powers of 10.

| . 0001 | $=$ | 1 | X | $10^{-4}$ |
| :---: | :---: | :---: | :---: | :---: |
| . 001 | = | 1 | X |  |
| . 01 | = | 1 | X |  |
| . 1 | = | 1 | X |  |
| 1 | = | 1 | X | $10^{0}$ |
| 10 | = | 1 | X |  |
| 100 | = | 1 | X |  |
| 1,000 | = | 1 | X |  |

Check your answer with the table on page 1-3.

## FRAME

NO. 5 Any number can be converted into 2 numbers: a number times a power of 10 . The number times a power of 10 will have the same sequence of digits as the original number. The exponent (power) of the base 10 is always equal to the number of places the decimal point is moved. The exponent is POSITIVE when the decimal point is moved to the LEFT; the exponent is NEGATIVE when the decimal point is moved to the RIGHT.

## PROBLEM:

Fill in the blanks: To convert a number to a numerical value times a power of 10, move the decimal point $\qquad$ to make the power of 10

POSITIVE, or move the decimal point $\qquad$ to make the LEFT/RIGHT power of 10 NEGATIVE.

FRAME
No. 6

## ANSWER:

move the decimal point LEFT: make the power of 10 POSITIVE, move the decimal point RIGHT: make the power of 10 NEGATIVE.

FRAME
No. 7
Study this problem on equivalent power of 10 , then continue.
$.000001=$ $\qquad$
Rule:
To express a decimal as a whole number times the power of 10 , move the decimal point to the RIGHT, count the number of places to the original point, and use this count as a NEGATIVE exponent (or power) of 10 .

Solution:
Move the decimal point 6 places to the RIGHT; the exponent is a NEGATIVE 6.

Thus:
$.000001=1 \times 10^{-6}=10^{-6}$

FRAME
No. 8

## PROBLEM:

Fill in the blank with the equivalent power of 10.
$.001=$ $\qquad$

FRAME
No. 9
Answer: $10^{-3}$
Solution:
Decimal point is moved 3 places to the right; the exponent is a negative 3 .
$.001=1 \times 10-3=10^{-3}$

FRAME
No. 10
Study this problem on equivalent power of 10 , then continue.
100,000,000 = $\qquad$
Rule:

Solution:

Thus:
to express a whole number as a smaller number times a power of 10 , move the decimal point to the LEFT, count the number of places to the original point, and use this count as a POSITIVE exponent (or power) of 10 .

Move the decimal point 8 places to the LEFT; the exponent is a POSITIVE 8.
$100,000,000=1 \times 10^{8}=10^{8}$

FRAME
NO. 11

## PROBLEM:

Fill in the blank with the equivalent power of 10.
$1,000=$ $\qquad$

FRAME
No. 12
ANSWER: 103
Solution: Decimal point is moved 3
$1,000=1 \times 10^{3}=10^{3}$
places to the LEFT; the
exponent is a POSITIVE 3.

FRAME NO. 13

## PROBLEM:

Fill in the blanks with the equivalent powers of 10. Do both problems before checking answers.

$$
100,000=
$$

$$
.001=
$$

$\qquad$

FRAME
ANSWER: $10^{5}$
Solution:
$100,000=10^{5} \quad$ Decimal point is moved 5 places to the LEFT; the exponent is a POSITIVE 5.

ANSWER $10^{-3}$
Solution:
Decimal point is moved 3 places to RIGHT; the
$.001=10^{-3}$ exponent is a NEGATIVE 3.

Study the following problem on SCIENTIFIC NOTATION, rounded off to 3 significant digits.
$636.42=$ $\qquad$
Solution:
Converting a whole number to SCIENTIFIC NOTATION (a number between 1 and 10 times a power of ten) is done by moving the decimal point LEFT from its position in the original number to a new position which will be immediately following the first significant digit, giving you a POSITIVE power of 10 .

NOTE: $\quad$ Count the number of places you moved the decimal point to the LEFT in the original number to its new position following the first significant number. This will give you the proper exponent for your POSITIVE power of 10 .

Thus: Original number

| In scientific | In scientific |
| :--- | :--- |
| notation, but NOT | notation, and |
| rounded off. | rounded off to 3 |
|  | significant numbers. |

$$
636.42=6.3642 \times 10^{2}=6.36 \times 10^{2}
$$

FRAME
No. 16
PROBLEM:
Convert this number to SCIENTIFIC NOTATION, rounded off to 3 significant digits. $88,885=$ $\qquad$

FRAME
No. 17 ANSWER: $8.89 \times 10^{4}$
Solution: $\quad 8.89$ is a number written in SCIENTIFIC NOTATION, a $88,885=\quad$ number between 1 and 10 times a power of ten; the $8.89 \times 10^{4}$ decimal point moved four places LEFT; the exponent for the power of 10 is a POSITIVE 4.

FRAME
NO. 18. Study the following problem on SCIENTIFIC NOTATION, rounded off to 3 significant digits.
$.0005966=$ $\qquad$
Solution: $\quad$ Converting a decimal number to SCIENTIFIC NOTATION (a number between 1 and 10 times a power of ten) is done by moving the decimal point RIGHT from its position in the original number to a new position which will be immediately following the first significant digit, giving you a NEGATIVE power of 10 .

NOTE: $\quad$ Count the number of places you moved the decimal point to the RIGHT in the original number to its new position following the first significant number. This will give you the proper exponent for your NEGATIVE power of 10.

Thus:
$\left.\begin{array}{lll}\text { Original number } & \begin{array}{l}\text { In scientific } \\ \text { notation, but } \\ \text { NOT rounded } \\ \text { off. }\end{array} & \begin{array}{l}\text { In scientific } \\ \text { notation, and } \\ \text { rounded off to 3 }\end{array} \\ \text { significant } \\ \text { numbers. }\end{array}\right\}$

FRAME
NO. 19

## PROBLEM:

Convert this number to SCIENTIFIC NOTATION, rounded off to 3 significant digits.
$\qquad$

FRAME
ANSWER: $8.89 \times 10^{-5}$
Solution:
$.00008885=8.89 \times 10^{-5}$
8.89 is a number between 1 and 10 ; the decimal point moves RIGHT 5 places; the exponent is a NEGATIVE 5.

## FRAME

NO. 21 Study the following problem on SCIENTIFIC NOTATION, rounded off to 3 significant digits.

$$
45,667=
$$

Solution: $\quad$ Place the decimal point between 4 and 5 so the number has a value between 1 and 10 . Since the decimal point moved 4 places LEFT, the power of 10 is a POSITIVE 104. Remember, a number in Scientific Notation is a number between 1 and 10 times a power of 10 .

Thus:

$$
45,667=4.5667 \times 10^{4}=4.57 \times 10^{4}
$$

## FRAME

NO. 22 PROBLEM:
Convert this number to SCIENTIFIC NOTATION, rounded off to 3 significant digits.

$$
4,444.3=
$$

FRAME NO. 23

ANSWER:
$4.44 \times 10^{3}$
Solution:
4,444
$4.44 \times 10^{3}$
4.44 is between 1 and 10 ; the decimal point moved 3 places LEFT; the exponent is a +3 .

FRAME
NO. 24 Study the following problem on SCIENTIFIC NOTATION, rounded off to 3 significant digits.
$665,878=$ $\qquad$
Solution: $\quad 6.65878$ is a number between 1 and 10. Since the decimal point moved 5 places LEFT, the exponent of the power of 10 is a POSITIVE 5.6 .65878 is now 6.66 rounded off to 3 significant digits.

Thus:

$$
665,878=6.65878 \times 10^{5}=6.66 \times 10^{5}
$$

FRAME
NO. 25

## PROBLEM:

Convert this number to SCIENTIFIC NOTATION, rounded off to 3 significant digits.

$$
.00008887=
$$

$\qquad$

FRAME NO. 26

ANSWER: $8.89 \times 10^{-5}$
Solution: $.00008887=8.887 \times 10^{-5}=8.89 \times 10^{-5}$

FRAME NO. 27

## PROBLEM:

Convert this number to SCIENTIFIC NOTATION, rounded off to 3 significant digits, times the proper power of 10. Do both problems before checking answers.
$.000034567=$ $\qquad$
$881.238=$

FRAME NO. 28

ANSWER: $3.46 \times 10^{-5}$
Solution: $.000034567=3.46 \times 10^{-5}$
ANSWER: $8.81 \times 10^{2}$
Solution: $881.238=8.81 \times 10^{2}$

## FRAME

NO. 29 Study the problems below, then continue.

$$
\begin{array}{ll}
3,200= & \times 10^{4} \\
3,200 & =\quad \times 10^{-4}
\end{array}
$$

Solution: Move the decimal point to the LEFT when the exponent is POSITIVE; and to the RIGHT when the exponent is NEGATIVE.

Thus: $\quad 3,200=.3200 \times 10^{4}$

$$
3,200=32,000,000 \times 10^{-4}
$$

## FRAME

NO. 30

## PROBLEM:

Fill in the blank with the proper numerical value.

$$
50,000=\ldots \times 10^{7}
$$

FRAME
ANSWER: . 005
Solution:
$50,000=.005 \times 10^{7}$
The decimal point moves 7 places LEFT when the exponent is a +7 .

FRAME
NO. 32 Study the problem below, then continue.

$$
.000000000045=\ldots \times 10^{-12}
$$

Solution: Move the decimal point 12 places RIGHT when the exponent is a NEGATIVE 12.
Thus: $\quad .000000000045=45 \times 10^{-12}$

FRAME
NO. 33

## PROBLEM:

Fill in the blank with the proper value. $.00056=$ $\qquad$ $\times 10^{-6}$

FRAME NO. 34

ANSWER: 560

Solution:
Exponent is a NEGATIVE 6; the decimal point
$.00056=560 \times 10^{-6}$ moves 6 places to the RIGHT.

FRAME Study the problem below, then continue.
NO. 35

$$
.1=
$$

$\qquad$

Solution: Move decimal point one place to the right; the exponent is a NEGATIVE one.
Thus: $\quad .1=1 \times 10^{-1}=10^{-1}$

FRAME NO. 36

## PROBLEM:

Fill in the blank with the equivalent power of 10.

$$
.00000001=1 X
$$

$\qquad$ $=$ $\qquad$

FRAME NO. 37

ANSWER: $10^{-8}$

Solution:
$.00000001=1 \times 10^{-8}=10^{-8}$
Exponent is a NEGATIVE 8 when the decimal point moves 8 places to the RIGHT.

FRAME
NO. 38
Study the problems below, then continue.
$9.15 \times 10^{3}=$ $\qquad$ X $10^{6}$
$9.15 \times 10^{-3}=$ $\qquad$ X $10^{-6}$

Solution: Move the decimal point to the LEFT when the change in exponent is in a POSITIVE direction. Move the decimal point to the RIGHT when the change in exponent is in a NEGATIVE direction.

Thus: $\quad 9.15 \times 10^{3}=.00915 \times 10^{6}$
$9.15 \times 10^{-3}=9,150 \times 10^{-6}$
NOTE: $\quad$ Changing from $10^{3}$ to $10^{6}$ means the exponent changes by 3 in a POSITIVE direction. Changing form $10^{-3}$ to $10^{-6}$ means the exponent changes by 3 in a NEGATIVE direction.

FRAME
NO. 39

## PROBLEM:

Fill in the blank with the proper value.
$2.2 \times 10^{-2}=$ $\qquad$ $\times 10^{0}$

FRAME
ANSWER: . 022
Solution: $\quad$ Changing from $10^{-2}$ to $10^{\circ}$ means the exponent
$2.2 \times 10^{-2}=.022 \times 10^{0}$
decimal changes by 2 in a POSITIVE direction; so the point moves 2 places to the LEFT.

FRAME
NO. 41

## PROBLEM:

Study the problem below, then continue.

$$
3.33 \times 10^{-4}=
$$

$\qquad$ X $10^{-6}$

Solution: Changing from $10^{-4}$ to $10^{-6}$ means the exponent changes by 2 in a NEGATIVE direction; so the decimal point in 3.33 moves 2 places to the RIGHT.

Thus: $\quad 3.33 \times 10^{-4}=333 \times 10^{-6}$

FRAME NO. 42

## PROBLEM:

Fill in the blank with the proper value.

$$
5.83 \times 10^{2}=
$$

$\qquad$ X $10^{-1}$

FRAME NO. 43

ANSWER: 5,830
Solution: $\quad$ Changing from $10^{2}$ to $10^{-1}$
$5.83 \times 10^{2}=5,830 \times 10^{-1} \quad$ means the exponent changes by 3 in a NEGATIVE direction; so the decimal point in 5.83 moves 3 places to the RIGHT.

FRAME
NO. 44 Study the problem below, then continue.

$$
250,000=\ldots \times 10^{5}
$$

Solution: Move the decimal point 5 places to the LEFT when the exponent is a POSITIVE 5.

Thus: $\quad 250,000=2.5 \times 10^{5}$

FRAME NO. 45

## PROBLEM:

Fill in the blank with the proper value.

$$
13,460=\ldots \times 10^{-12}
$$

FRAME NO. 46

ANSWER: 13,460,000,000,000,000
Solution:
$13,460=13,460,000,000,000,000 \times 10^{-12}$ When the exponent is a NEGATIVE 12, the decimal point is moved 12 places to the RIGHT.

FRAME
NO. 47 Study the problem below, then continue.

$$
6.660 \times 10^{-4}=\ldots \times 10^{-7}
$$

Solution: Changing from $10^{-4}$ to $10^{-7}$ means the exponent changes by 3 in a NEGATIVE direction; so the decimal point in the original number 6.660 moves 3 places to the RIGHT.

Thus: $\quad 6.660 \times 10^{-4}=6,660 \times 10^{-7}$

FRAME NO. 48

## PROBLEM:

Fill in the blank with the proper value.

$$
7.09 \times 10^{4}=
$$

$\qquad$ $\times 10^{-1}$

FRAME NO. 49

## ANSWER: 709,000

SOLUTION:
$7.09 \times 10^{4}=709,000 \times 10^{-1} \quad$ Changing from $10^{4}$ to $10^{-1}$ means the exponent changes by 5 in a NEGATIVE direction; so the decimal point in 7.09 moves 5 places to the right.

FRAME NO. 50

## PROBLEM:

Fill in the blanks with the proper values. Do both problems before checking answers.

$$
\begin{aligned}
& 83,000=\ldots \times 10^{6} \\
& .0000525 \quad \times 10^{-12}
\end{aligned}
$$

FRAME NO. 51

ANSWER: . 083
Solution: POSITIVE 6 exponent; decimal point
$83,000=.083 \times 10^{6}$
ANSWER: 52,500,000
Solution:
$.0000525=52,500,000 \times 10^{-12}$
moves 6 places to the LEFT.

NEGATIVE 12 exponent; decimal point moves 12 places to the RIGHT

FRAME
NO. 52

## PROBLEM:

Fill in the blanks with the proper values
$4.24 \times 10^{-6}=$ $\qquad$ X $10^{-3}$
$6.28 \times 10^{4}=$ $\qquad$ X $10^{-2}$

FRAME NO. 53

ANSWER: . 00424
Solution:
$4.24 \times 10^{-6}=.00424 \times 10^{-3}$
ANSWER: 6,280,000
Solution:
$6.28 \times 10^{4}-6,280,000 \times 10^{-2}$
Changing from $10^{-6}$ to $10^{-3}$ means the exponent changes by 3 in a POSITIVE direction; so the decimal point in 4.24 moves 3 places to the LEFT. Changing from $10^{4}$ to $10^{-2}$ means the exponent changes by 6 in a NEGATIVE direction; so the decimal point in 6.28 moves 6 places to the RIGHT.

FRAME
NO. 54
Powers of 10 simplify problem solving. For example:
Multiplication: $2,000 \times 45,000=\left(2 \times 10^{3}\right) \times\left(4.5 \times 10^{4}\right)=$ 9X 107

Division: $\underline{66.000}=\underline{6.6 \times 10^{4}}=\underline{6.6 \times 10^{4}} \times \underline{10}^{-3}=2.2 \times 10^{1}$ or 22

$$
3,000 \quad 3 \times 10^{3} \quad 3
$$

Extracting square root:
$\sqrt{4,000,000}=\sqrt{4 \times 10^{6}}=2 \times 10^{6+2}=2 \times 10^{3}$
Squaring a number:

$$
(20,000)^{2}=\left(2 \times 10^{4}\right)^{2}=4 \times 10^{4 \times 2}=4 \times 10^{8}
$$

Study the examples above for a moment.
No response required

FRAME
Study the problems below, then continue.

| $10,000 \times 100$ | $=$ |
| :--- | :--- |
| $.0000001 \times .001$ | $=$ |
| $10,000 \times .001$ | $=$ |
| $23,000 \times 500$ | $=$ |
| $6,200 \times .02 . \times 2,000$ | $=$ |

Solution: To MULTIPLY two or more numbers using powers of 10, ADD the EXPONENTS (power) and retain the base 10.

Thus:
$10,000 \times 100=1 \times 10^{4+2}=10^{6}$
$.0000061 \times .001=1 \times 10^{-7+(-3)}=10^{-10}$
$10,000 \times .001=1 \times 10^{4+(-3)}=10^{1}$
$23,000 \times 500=2.3 \times 10^{4} \times 5 \times 10^{2}=11.5 \times 10^{4+2}=11.5 \times 10^{4+2}$
$=11.5 \times 10^{6}$
$6,200 \times .02 \times 2,000=6.2 \times 10^{3} \times 2 \times 10^{-2} \times 2 \times 10^{3}$
$=24.8 \times 10^{3+(-2)+3}=24.8 \times 10^{4}$

FRAME NO. 56

PROBLEM:

Solve using powers of 10.
$\left(1 \times 10^{6}\right)\left(1 \times 10^{3}\right)\left(1 \times 10^{-3}\right)\left(1 \times 10^{6}\right)=$

FRAME NO. 57

ANSWER: $10^{12}$
Solution: To multiply powers of 10, add
$10^{6} \times 10^{3} \times 10^{-3} \times 10^{6}$ exponents and retain the base
$=10^{6+3+(-3)+6}=10^{12}$ 10.

Study the problem below, then continue.

$$
300 \times 2,200 \times .001=
$$

Solution: To multiply, convert each number to SQENTIFIC NOTATION; multiply the numerical values together and add the exponents (powers of 10).

Thus:
$300 \times 2,200 \times .001=\left(3 \times 10^{2}\right) \times\left(2.2 \times 10^{3}\right) \times\left(1 \times 10^{-3}\right)$
$=3 \times 2.2 \times 10^{2+3+(-3)}=6.6 \times 10^{2}$

## FRAME

NO. 58

## PROBLEM:

Solve using powers of 10 .

$$
\text { 3,500 X . } 0035 \times 8,000=
$$

FRAME NO. 59

ANSWER: $98 \times 10^{3}$ or $9.8 \times 10^{4}$
Solution:
$3,500 \times .0035 \times 8,000=\left(3.5 \times 10^{3}\right) \times\left(3.5 \times 10^{-3}\right) \times\left(8 \times 10^{3}\right)$
$=(3.5 \times 3.5 \times 8) \times 10^{3+(-3)+3}$
$=98 \times 10^{3}$ or $9.8 \times 10^{4}$

FRAME
NO. 60 Study the problem below, then continue.

$$
\frac{10^{7}}{10^{3}}=
$$

Solution: To DIVIDE, move $10^{3}$ from the denominator to the numerator; CHANGE the SIGN OF THE EXPONENT 3, then add the exponents.

Thus: $\quad \frac{10^{7}}{10^{3}}=\frac{10^{7} \times 10^{-3}}{1}=10^{7+(-3)}=10^{4}$

FRAME NO. 61

## PROBLEM:

Solve using powers of 10.

$$
\begin{gathered}
660.000= \\
.0002
\end{gathered}
$$

FRAME NO. 62

ANSWER: $3.3 \times 10^{9}$
Solution:
$\underline{660.000}=\underline{6.6 \times 10^{5}}=\times \underline{6.6 \times 10^{5} \times 10^{4}}=3.3 \times 10^{9}$
$\frac{0002}{2 \times 10^{-4}} \quad \frac{6}{2}$

FRAME
NO. 63 Study the problem below, then continue.

$$
\frac{66.000}{.000003}=
$$

Solution: Convert to SCIENTIFIC NOTATION (or small, easy-to-divide numbers); then divide, using laws of exponents.

Thus: $\quad \frac{66.000}{.000003}=\frac{6.6 \times 10^{4}}{3 \times 10^{-6}}=\frac{6.6 \times 10^{4} \times 10^{6}}{3}=2.2 \times 10^{10}$

FRAME
NO. 64

## PROBLEM:

Solve using powers of 10.
$\underline{45.000 .000}=$ .005

FRAME NO. 65

ANSWER: $9 \times 10^{9}$
Solution:


## FRAME

NO. 66 Study the problem below, then continue.
$.00006 \times .144 \times .02=$
Solution: Convert the numbers to SCIENTIFIC NOTATION; multiply the numerical values and add the exponents (powers of 10).

Thus:
$.00006 \times .144 \times .02=\left(6 \times 10^{-5}\right) \times\left(1.44 \times 10^{-1}\right) \times\left(2 \times 10^{-2}\right)$

$$
=(6 \times 1.44 \times 2) \times 10^{-5+(-1)+(-2)}=17.28 \times 10^{-8}
$$

## FRAME

NO. 67 PROBLEM:
Solve using powers of 10 .
$1,200 \times 200 \times .0003=$

FRAME NO. 68

ANSWER: $7.2 \times 10^{1}$
Solution:
$1,200 \times 200 \times .0003=\left(1.2 \times 10^{3}\right) \times\left(2 \times 10^{2}\right) \times\left(3 \times 10^{4}\right)$

$$
=(1.2 \times 2 \times 3) \times 10^{3+2+(-4)}
$$

$$
=7.2 \times 10^{1}
$$

FRAME
NO. 69
Study the problem below, then continue.

$$
\left(10^{4}\right)^{2}=
$$

Solution: To raise a power of 10 to the second power, MULTIPLY the power of 10 by 2.
Thus: $\quad\left(10^{4}\right)^{2}=10^{4 \times 2}=10^{8}$

FRAME
NO. 70

## PROBLEM:

Solve using powers of 10 .

$$
\left(10^{6}\right)^{2}=
$$

FRAME
NO. 71 ANSWER: $10^{12}$
Solution: $\left(10^{6}\right)^{2}=10^{6 \times 2}=10^{12}$

FRAME
NO. 72 Study the problem below, then continue.

$$
(30,000)^{2}=
$$

Solution: Convert to SCIENTIFIC NOTATION; Square the numerical Value And Multiply the power of 10 by the exponent 2 .

Thus: $\quad(30,000)^{2}=\left(3 \times 10^{4}\right)^{2}=32 \times 10^{4 \times 2}=9 \times 10^{8}$

FRAME
NO. 73 Problem:
Solve using powers of 10 .
$\left(6 \times 10^{3}\right)^{2}=$

FRAME
NO. 74
ANSWER: $36 \times 10^{6}$ or $3.6 \times 10^{7}$
Solution $\left(6 \times 10^{3}\right)^{2}=6^{2} \times 10^{3 \times 2}=36 \times 10^{6}$ or $3.6 \times 10^{7}$

FRAME NO. 75

Study the problem below, then continue.

$$
\frac{.159}{.00003}=
$$

Solution: Convert to easily divisible numbers times powers of 10; then divide.
Thus: $\quad \frac{.159}{.00003}=\frac{159 \times 10^{-3}}{3 \times 10^{-5}}=\frac{159 \times 10^{-3} \times 10^{5}}{3}=53 \times 10^{2}$

FRAME
NO. 76 PROBLEM:
Solve using powers of 10.

$$
\frac{1}{.000005}=
$$

FRAME NO. 77

ANSWER: $2 \times 10^{5}$
Solution: $\frac{1}{.000005}=\frac{1}{5 \times 10^{-6}}=\frac{1 \times 10^{6}}{5}=\frac{10 \times 10^{5}}{5}=2 \times 10^{5}$
NOTE: By converting $1 \times 10^{6}$ to $10 \times 10^{5}$, it becomes easier to divide by 5 .

FRAME NO. 78

PROBLEM:
Solve using powers of 10. Do both problems before checking answers.
$10^{7} \times 5 \times 10^{-2} \times 10^{6}=$
. $225 \times .002 \times .04=$

FRAME NO. 79

ANSWER: $5 \times 10^{11}$
Solution: $10^{7} \times 5 \times 10^{-2} \times 10^{6}=5 \times 10^{7+(-2)+6}=5 \times 10^{11}$
ANSWER: $18 \times 10^{-6}$ or $1.8 \times 10^{-5}$
Solution:
$.225 \mathrm{X} .002 \times .04=\left(2.25 \times 10^{-1}\right) \times\left(2 \times 10^{-3}\right) \times\left(4 \times 10^{-2}\right)$
$=18 \times 10^{-6}$ or $1.8 \times 10^{-5}$

FRAME
NO. 80 Study the problem below, then continue.

$$
\sqrt{10^{8}}=
$$

Solution: To extract the SQUARE ROOT of a power of 10, DIVIDE the EXPONENT by 2 , and retain the base 10.

Thus:

$$
\sqrt{10^{8}}=10^{8+2}=10^{4}
$$

FRAME
No. 81 PROBLEM:
Solve using powers of 10.

$$
\sqrt{10^{6}}=
$$

FRAME
ANSWER: $10^{3}$
Solution:

$$
\sqrt{10^{6}}=10^{6+2}=10^{3}
$$

FRAME
Study the problem below, then continue.

$$
\sqrt{30 \times 20 \times 2 \times 3 \times 10^{2}}=
$$

Solution: Combine and convert the numbers under the radical sign into 2 numbers, a numerical value and an "EVEN" power of 10. By even, we mean that the power can be divided evenly by 2 .

THUS:

$$
\begin{aligned}
\sqrt{30 \times 20 \times 2 \times 3 \times 10^{2}} & =\sqrt{3,600 \times 10^{2}} \\
& =\sqrt{36 \times 10^{2} \times 10^{2}} \\
& =\sqrt{36 \times 10^{4}} \\
& =6 \times 10^{4+2}=6 \times 10^{2}
\end{aligned}
$$

FRAME NO. 84

## PROBLEM:

Solve using powers of 10 .

$$
\sqrt{1,000 \times 10^{7}}=
$$

FRAME NO. 85

Solution:

$$
\sqrt{1,000 \times 10^{7}}=\sqrt{10^{3} \times 10^{7}}=\sqrt{10^{10}}=10^{10+2}=10^{5}
$$

FRAME NO. 86

Study the problem below, then continue.

$$
\left(400 \times 10^{4}\right)^{2}=
$$

Solution: Convert quantity in parentheses to SCIENTIFIC NOTATION; square the numerical value; multiply the power of 10 by 2 .

Thus: $\quad\left(400 \times 10^{4}\right)^{2}=\left(4 \times 10^{2} \times 10^{4}\right)^{2}=$ $4^{2} \times 10^{6 \times 2}=16 \times 10^{12}$ or $1.6 \times 10^{13}$

## FRAME

NO. 87 PROBLEM:
Solve using powers of 10 .

$$
\left(12 \times 10^{-3}\right)^{2}=
$$

FRAME NO. 88

ANSWER: $144 \times 10^{-6}$ or $1.44 \times 10^{-4}$
Solution:
$\left(12 \times 10^{-3}\right)^{2}=12^{2} \times 10^{-3 \times 2}=144 \times 10^{-6}$ or $1.44 \times 10^{-4}$

FRAME NO. 89

## PROBLEM:

Solve using powers of 10. Do both problems before checking answers.

$$
\frac{1}{500,000}=
$$

$$
\frac{10^{8} \times 10}{10^{-5} \times 1,000}=
$$

FRAME NO. 90

ANSWER: $2 \times 10^{-6}$
Solution:
$\frac{1}{500,000}=\frac{10 \times 10^{-1}}{5 \times 10^{-5}}=\frac{10}{5} \times 10^{-8}=2 \times 10^{-6}$
ANSWER: $10^{11}$
Solution:
$\frac{1 \times 10^{9}}{1 \times 10^{-5} \times 10^{3}}=10^{9} \times 10^{5} \times 10^{-3}=10^{11}$

FRAME
NO. 91
Study the problem below, then continue.

$$
\sqrt{81,000 \times 10^{3}}=
$$

Solution: Convert the numbers under the radical sign to a numerical value times an "EVEN" power of 10 (divisible by 2). If it is not EVEN, it must be made EVEN.

Thus:

$$
\begin{aligned}
\sqrt{81,000 \times 10^{3}} & =\sqrt{81 \times 10^{3} \times 10^{3}} \\
& =\sqrt{81 \times 10^{6}} \\
& =9 \times 10^{6}{ }^{2}=9 \times 10^{3}
\end{aligned}
$$

FRAME NO. 92

## PROBLEM:

Solve using powers of 10.

$$
\sqrt{2,500 \times 10^{4}=}
$$

FRAME NO. 93

## ANSWER: $5 \times 10^{3}$

Solution:

$$
\begin{aligned}
& \sqrt{2,500 \times 10^{4}}=\sqrt{25 \times 10^{2} \times 10^{4}}=\sqrt{25 \times 10^{6}}= \\
& 5 \times 10^{6+2}=5 \times 10^{3}
\end{aligned}
$$

FRAME NO. 94

## PROBLEM:

Solve using powers of 10. Do both problems before checking answers.

$$
(100 \times 10,000)^{2}=
$$

$$
\left(3 \times 10^{5}\right)^{2}=
$$

FRAME NO. 95

ANSWER: $10^{12}$
Solution:
$(100 \times 10,000)^{2}=\left(10^{2} \times 10^{4}\right)^{2}=\left(10^{6}\right)^{2}=10^{6 \times 2}=10^{12}$
ANSWER: $9 \times 10^{10}$
Solution: $\left(3 \times 10^{5}\right) 2=3^{2} \times 10^{5 \times 2}=9 \times 10^{10}$

FRAME NO. 96

## PROBLEM:

Solve using powers of 10 . Do both problems before checking answers.

$$
\sqrt{4 \times 3 \times 12 \times 10^{4}}=
$$

$$
\sqrt{160 \times 10^{5}}=
$$

FRAME
ANSWER: $12 \times 10^{2}$ or $1.2 \times 10^{3}$
Solution:

$$
\sqrt{4 \times 3 \times 12 \times 10^{4}}=\sqrt{144 \times 10^{4}}=12 \times 10^{2} \text { OR } 1.2 \times 10^{3}
$$

ANSWER: $4 \times 10^{3}$
Solution:

$$
\sqrt{160 \times 10^{5}}=\sqrt{16 \times 10^{6}}=4 \times 10^{3}
$$

## FRAME

NO. 98 Electrical and electronic problems are often combinations of multiplication, division, and extracting square roots. It is suggested that combination problems be solved in this order:
(1) Convert all numbers to SCIENTIFIC NOTATION, or to small, easy-to-handle numbers; multiply by the proper powers of 10 .
(2) Extract square roots (thus removing the radical signs).
(3) Multiply, divide, etc., until solution is reached. Study the above information, then continue below.

FRAME
NO. 99

## PROBLEM:

Fill in the blanks:
To extract the square root of a power of 10 , the power of 10 must be $\qquad$ .

> odd/even

If it is not $\qquad$ , it must be made $\qquad$ odd/even odd/even

NO. 100 ANSWERS: even, even, even

# INTRODUCTION TO CONVERSION OF ELECTRICAL UNITS 

## CRITICAL TASK: None

## OVERVIEW

## LESSON DESCRIPTION:

Upon completion of this lesson, you will be able to convert numbers expressed by common number prefixes in powers of ten and scientific notation.

## TERMINAL LEARNING OBJECTIVE:

ACTION: $\quad$ Convert numbers expressed by common number prefixes in powers of 10 and scientific notation.

CONDITION: Given the information provided in this subcourse.
STANDARD: To demonstrate competency of this task, you must achieve a minimum of 70 percent on the subcourse examination.

The volt, the ohm, and the ampere are the basic units of electrical measurements. You previously learned that one ampere of current flows through one ohm of resistance when one volt of electrical force is applied across the resistance.

Often, the unit of measurement (volt, ohm, and ampere) is expressed with a prefix to enable the handling of extremely large or extremely small electrical measurements. For example, electrical values expressed in basic units, such as 40,000 volts and .005 ampere, could be expressed in units with prefixes, such as 40 kilovolts and 5 milliamperes.

Thus, it can be seen that any unit of electrical measurement can be expressed with or without a prefix.

No response required

NO. 102 There are 5 metric prefixes commonly used with electrical measurements; these are: mega, kilo, milli, micro, and pico.
(1) Mega, abbreviated M, means million. Since 1,000,000 can be expressed as $10^{6}$, we can substitute mega or M for $10^{6}$.

For example: $88,000,000 \Omega=88 \times 10^{6} \Omega=88 \mathrm{M} \Omega$.
(2) Kilo, abbreviated k, means thousand. Since 1,000 can be expressed as $10^{3}$, we can substitute kilo or k for $10^{3}$.

For example: $35,000 \mathrm{~V}=35 \times 10^{3} \mathrm{~V}=35 \mathrm{kV}$.
(3) Milli, abbreviated m, means one thousandth part of. Since .001 can be expressed as $10^{-3}$, we can substitute milli or m for $10^{-3}$.

For example: $.002 \mathrm{~A}=2 \times 10^{-3} \mathrm{~A}=2 \mathrm{~mA}$.
(4) Micro, abbreviated $\mu$, means one millionth part of. Since .000001 can be expressed as $10^{-6}$, we can substitute micro or $\mu$ for $10^{-6}$.

For example: . $0000026 \mathrm{~V}=2.6 \times 10^{-6} \mathrm{~V}=2.6 \mu \mathrm{~V}$.
(5) Pico, abbreviated $p$, means one millionth of a millionth part of. Since .000000000001 can be expressed as $10^{-12}$, we can substitute pico or $p$ for $10^{-12}$.

For example: . $000000000155 \mathrm{~A}=155 \times 10^{-12} \mathrm{~A}=155 \mathrm{pA}$.
No response required

FRAME
NO. 103 This chart shows the relationship between metric prefixes and their equivalent powers of 10 . Study it for a moment.

| Numerical Value | Prefix | Abbreviation | Power of 10 |
| :--- | :--- | :---: | :--- |
| .000000000001 | pico | p | $10^{-12}$ |
| .000001 | micro | $\mu$ | $10^{-6}$ |
| .001 | milli | m | $10^{-3}$ |
| 1 | none | none | $10^{0}$ |
| 1,000 | kilo | k | $10^{3}$ |
| $1,000,000$ | mega | M | $10^{6}$ |

FRAME
NO. 104 PROBLEM:
Cover the above chart with your hand and fill in the blocks below.
Numerical Value Prefix Abbreviation Power of 10
.000000000001
.000001
.001
1
1,000
$1,000,000$

Correct any mistakes in this chart, then continue on the next page.

FRAME
NO. 105 Metric prefixes can be substituted for powers of 10 and vice versa:

| $10^{6}$ | $=$ mega or M |
| :--- | :--- |
| $10^{3}$ | $=$ kilo or k |
| $10^{-3}$ | $=$ milli or m |
| $10^{-6}$ | $=$ micro or $\mu$ |
| $10^{-12}$ | $=$ pico or p |

FRAME NO. 106

PROBLEM:
Cover the information above and fill in the blocks below.
Numerical Value Prefix Abbreviation Power of 10
. 000000000001
. 000001
.001

1
1,000
1,000,000
Correct any mistakes in this chart, then continue on the next page.

FRAME
NO. 107

| Numerical Value | Prefix | Abbreviation | Power of 10 |
| :--- | :--- | :--- | :--- |
| .0000000000000001 | Pico | p | $10^{-12}$ |
| .00000001 | micro | $\mu$ | $10^{-6}$ |
| .001 | milli | m | $10^{-3}$ |
| 1 | none | none | $10^{0}$ |
| 1,000 | kilo | K | $10^{3}$ |
| $1,000,000$ | mega | M | $10^{6}$ |

FRAME
NO. 108 Study the problem below, then continue.
$220 \mathrm{~mA}=$ $\qquad$ $\mu \mathrm{A}$

Solution:

NOTE:

Thus:

Substitute $10^{-3}$ for m and $10^{-6}$ for $\mu$. Converting from $10^{-3}$ to $10^{-6}$ is a NEGATIVE 3 change in exponent, so the decimal point in 220 must move 3 places to the RIGHT.

Remember, when converting a metric prefix to a smaller metric prefix, always move the decimal point to the RIGHT.

220 milli amps becomes $220 \times 10^{-3}$ amps when substituting $10^{-3}$ for milli and $220,000 \times 10^{-6}$ amps when substituting $10^{-6}$ for micro. Your answer then becomes 220 milli amps $=220,000$ micro amps .

FRAME
NO. 109 PROBLEMS:
Fill in the blank with the proper value.

$$
3,000 \mu \mathrm{~A}=
$$

$\qquad$ mA

FRAME
NO. 110 ANSWER:
Solution:
$3,000 \mu \mathrm{~A}=3,000 \times 10^{-6} \mathrm{~A}=3 \times 10^{-3} \mathrm{~A}=3 \mathrm{~mA}$

Converting from $10^{-6}$
to $10^{-3}$ is a +3 change in exponent; the decimal point moves 3 places to the LEFT.

## FRAME

NO 111 Study the problem below, then continue.

$$
.002 \mathrm{~mA}=\ldots \mathrm{uA}
$$

Solution: Substitute $10^{-3}$ for m and $10^{-6}$ for $\mu$. You will then see that $10^{-3}$ to $10^{-6}$ is a NEGATIVE 3 change in exponent, so the decimal point in . 002 moves 3 places to the RIGHT.

Thus: $\quad .002 \mathrm{~mA}=.002 \times 10^{-3} \mathrm{~A}=2 \times 10^{-6} \mathrm{~A}=2 \mu \mathrm{~A}$

FRAME
NO. 112 PROBLEM:
Fill in the blank with the proper value.
$110 \mathrm{M} \Omega=$ $\qquad$ $\Omega$

FRAME
NO 113 ANSWER: 110,000,000 $\Omega$
Solution:
$110 \mathrm{M} \Omega=110 \times 10^{-6} \Omega=110,000,000 \times 10^{0}$
$=110,000,000 \Omega$
NOTE: $10^{6}$ to $10^{\circ}$ is a NEGATIVE 6 change in exponent.

FRAME NO 114

PROBLEM:
Fill in the blocks.
Numerical Value Prefix Abbreviation Power of 10
. 000000000001
. 000001
. 001

1

1,000
1,000,000

FRAME NO 115

| Numerical Value | Prefix | Abbreviation | Power of 10 |
| :--- | :--- | :---: | :--- |
| .000000000001 | pico | P | $10^{-12}$ |
| .00000 | micro | $\mu$ | $10^{-6}$ |
| .001 | milli | m | $10^{-3}$ |
| 1 | none | none | $10^{0}$ |
| 1,000 | kilo | k | $10^{3}$ |
| $1,000,000$ | mega | M | $10^{6}$ |

FRAME
NO. 116 We have seen that either METRIC PREFIXES or POWERS of 10 may be used to replace the zero digits in very large or small measurements.

For example: . $000000000005 \mathrm{~V}=5 \times 10^{-12} \mathrm{~V}$ or 5 pV

$$
33,000,000 \Omega=33 \times 10^{6} \Omega \text { or } 33 \mathrm{~m} \Omega
$$

Usually, to solve a problem involving electrical measurements, all numbers with prefixes are converted to basic units times powers of 10. After the problem is solved, the answer may be expressed with a prefix if required or desired.

## FRAME

NO. 117

## PROBLEM:

Which of the following expressions are equivalent to .0000068 mA ?
A. 6.8 pA
B. . 0000000068 A
C. $6,800 \mathrm{pA}$
D. $6.8 \times 10^{-12} \mathrm{~A}$
E. $6.8 \times 10^{-9} \mathrm{~A}$

FRAME
NO. 118 ANSWER: B, C, and $E$ are equivalent.

FRAME
NO. 119 Study the problem below, then continue.

$$
\frac{100 \mathrm{mV}}{5 \mathrm{k} \Omega}=20 \_\mathrm{A}
$$

Solution: Substitute equivalent powers of 10 for $m$ and $k$; fill in the blank with the proper power of 10; then substitute a metric prefix for equivalent power of 10.

Thus: $\quad 100 \mathrm{mV}=100 \times 10^{-3} \mathrm{~V}=20 \times 10^{-6} \mathrm{~A}=20 \mu \mathrm{~A}$ $5 \mathrm{k} \Omega \quad 5 \times 10^{3} \Omega$

NOTE: This is a practical electrical problem working with Ohm's law:
volts $(V)=\operatorname{amperes}(A)$ ohms ( $\Omega$ )

FRAME
NO. 120 PROBLEM:
Fill in the blank with the proper metric prefix.

$$
\underline{24 \mathrm{kV}}=12
$$

$\qquad$ $\Omega$

FRAME
NO. 121
ANSWER: M
Solution: $\quad \underline{24 ~ k V}=24 \times 10^{3} \mathrm{~V}=12 \times 10^{6} \Omega=12 \mathrm{M} \Omega$ $2 \mathrm{~mA} \quad 2 \times 10^{-3} \mathrm{~A}$

FRAME
NO. 122 Study the problem below, then continue.
$3 \mathrm{k} \Omega \times 8 \mu \mathrm{~A}=24$ $\qquad$ V

Solution: Substitute powers of 10 for the metric prefixes; fill in the blank with the proper power of 10; then substitute. a metric prefix for the power of 10 in the blank.

Thus: $\quad 3 \mathrm{k} \Omega \times 8 \mu \mathrm{~A}=3 \times 10^{3} \Omega \times 8 \times 10^{-6} \mathrm{~A}=24 \times 10^{-3} \mathrm{~V}$

$$
=24 \mathrm{mV}
$$

## FRAME

NO. 123 PROBLEM:
Fill in the blank with the proper metric prefix
$4 \mathrm{M} \Omega \times 4 \mathrm{~mA}=16$ $\qquad$ V

FRAME
NO. 124
ANSWER:

Solution:
$4 \mathrm{M} \Omega \times 4 \mathrm{~mA}=4 \times 10^{6} \Omega \times 4 \times 10^{-3} \mathrm{~A}=16 \times 10^{3} \mathrm{~V}=16 \mathrm{kV}$

FRAME
NO. 125 Study the problem below, then continue.
$38 K \Omega=$ $\qquad$ $\mathrm{M} \Omega$

Solution: Substitute $10^{3}$ for $k$ and $10^{8}$ for M . You will then see that $10^{3}$ to $10^{6}$ is a POSITIVE 3 change in exponent. So the decimal point in 38 moves 3 places to the LEFT.

NOTE: Remember, when converting a metric prefix to a larger metric prefix, move the decimal point to the LEFT.

Thus: $\quad 38$ kilohms becomes $38 \times 10^{3}$ ohms when substituting $10^{3}$ for kilo and $.038 \times 10^{8}$ ohms substituting $10^{6}$ for mega. Your answer then becomes 38 kilohms $=.038$ megohms.

FRAME
NO. 126 PROBLEM:
Fill in the blank with the proper value.
$15,000 \Omega=$ $\qquad$ k $\Omega$

FRAME
NO. 127 ANSWER: $15 \mathrm{k} \Omega$
Solution: $\quad 15,000 \Omega=15,000 \times 10^{0} \Omega=15 \times 10^{3} \Omega=15 \mathrm{k} \Omega$
NOTE: $\quad 10^{\circ}$ to $10^{3}$ is a POSITIVE 3 change in exponent.

FRAME
NO. 128 PROBLEM:
Fill in the blocks.
Numerical Value Prefix Abbreviation Power of 10
.000000000001
.000001
.001
1
1,000
$1,000,000$

FRAME
NO. 129 ANSWER:

| Numerical Value | Prefix | Abbreviation | Power of 10 |
| :--- | :--- | :---: | :--- |
| .000000000001 | pico | p | $10^{-12}$ |
| .000001 | micro | $\mu$ | $10^{-6}$ |
| .001 | milli | m | $10^{-3}$ |
| 1 | none | none | $10^{0}$ |
| 1,000 | kilo | k | $10^{3}$ |
| $1,000,000$ | mega | M | $10^{6}$ |

FRAME
NO. 130 Study the problem below, then continue.

$$
\frac{30 \mathrm{kV}}{6 \mathrm{~mA}}=5 \ldots \Omega
$$

Solution: Substitute $10^{3}$ for $k$ and $10^{-3}$ for m ; complete division of powers of 10 by inserting proper power of 10 in blank; substitute metric prefix in the blank.

Thus: $\quad \underline{30 \times 10^{3} \mathrm{~V}}=5 \times 10^{6} \mathrm{~A}=5 \mathrm{M} \Omega$ $6 \times 10^{-3} \mathrm{~A}$

FRAME
NO. 131 PROBLEM:
Fill in the blank with the proper metric prefix.
$3 \mathrm{M} \Omega \times 300 \mu \mathrm{~A}=900$ $\qquad$ V

FRAME
NO. 132
ANSWER: 900 V
Solution:
$3 \mathrm{M} \Omega \times 300 \mu \mathrm{~A}=3 \times 10^{6} \Omega \times 300 \times 10^{-6} \Omega=900 \times 10^{\circ} \mathrm{V}=$ $900 \times 1 \mathrm{~V}=900 \mathrm{~V}$

NOTE: There is no metric prefix for $10^{\circ}$ power; therefore, the numerical value of one (1) is substituted for $10^{\circ}$ power and $900 \times 1$ is 900 .

## FRAME

NO. 133 PROBLEM:
Fill in the blanks with the proper values.
$33 \mathrm{~K} \Omega=$ $\qquad$ M $\Omega$
$2,400 \Omega=$ $\qquad$ k $\Omega$
$4 \mathrm{M} \Omega=$ $\qquad$ $\Omega$

FRAME

## NO. 134

ANSWER: . $033 \mathrm{M} \Omega$
Solution: $33 \mathrm{k} \Omega=.033 \mathrm{M} \Omega \quad$ Converting k to M is $\mathrm{a}+3$ exponent change.
ANSWER: $2.4 \mathrm{k} \Omega$
Solution: $2,400 \Omega=2.4 \mathrm{k} \Omega$
Converting basic units to k is $\mathrm{a}+3$ exponent change.

ANSWER: 4,000,000 $\Omega$
Solution: $4 \mathrm{M} \Omega=4,000,000 \Omega$
Converting M to basic units is a - 6 exponent change.

FRAME
NO. 135 PROBLEM:
Fill in the blanks with the proper metric prefixes.

$$
3 \mathrm{k} \Omega \times 9 \mu \mathrm{~A}=27 \ldots \quad \mathrm{~V}
$$

$\underline{25 k V}=5$ $\qquad$ 5 mA

FRAME NO 136

ANSWER: m
Solution:
$3 \mathrm{k} \Omega \times 9 \mu \mathrm{~A}=3 \times 10^{3} \Omega \times 9 \times 10^{-6} \mathrm{~A}=27 \times 10^{-3}=27 \mathrm{mV}$
ANSWER: M
Solution: $\underline{25 \mathrm{kV}}=\underline{25 \times 10^{3} \mathrm{~V}}=5 \times 10^{6} \Omega=5 \mathrm{M} \Omega$

$$
5 \mathrm{~mA} \quad 5 \times 10^{-3} \mathrm{~A}
$$

FRAME
NO. 137 PROBLEM:
Fill in the blanks with the proper values.

$$
\begin{aligned}
& 30 \mathrm{mV}=\ldots \mathrm{V} \\
& 350 \mathrm{pV}=\ldots \\
& .04 \mathrm{~mA}=\ldots \mathrm{MA}
\end{aligned}
$$

FRAME
NO. 138 ANSWER: . 030 V
. $000350 \mu \mathrm{~V}$
$40 \mu \mathrm{~A}$
You have now completed this lesson. Review the objectives. If you do not understand the lesson, return to the frames which gave you trouble and repeat the examples given. Review this lesson completely before taking the examination on Page E-1.

